



eGISSMO example - Orthotropic damage

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Introduction

- Short GISSMO review
- eGISSMO introduction
- Examples:
 - Going from GISSMO to eGISSMO (isotropic damage)
 - Going from 2 GISSMO card to one eGISSMO (orthotropic damage)

GISSMO review

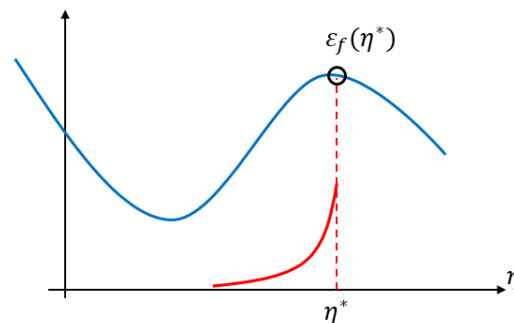
Input

- Instability curve (when stress is coupled)
- Failure strain as a function of triaxiality (and Lode parameter)

Damage and instability evolution

$$\Delta F = \frac{n}{\varepsilon_i(\eta^*)} F^{(1-\frac{1}{n})} \Delta \varepsilon_{eff}^p$$

$$\Delta D = \frac{n}{\varepsilon_f(\eta^*)} D^{(1-\frac{1}{n})} \Delta \varepsilon_{eff}^p$$

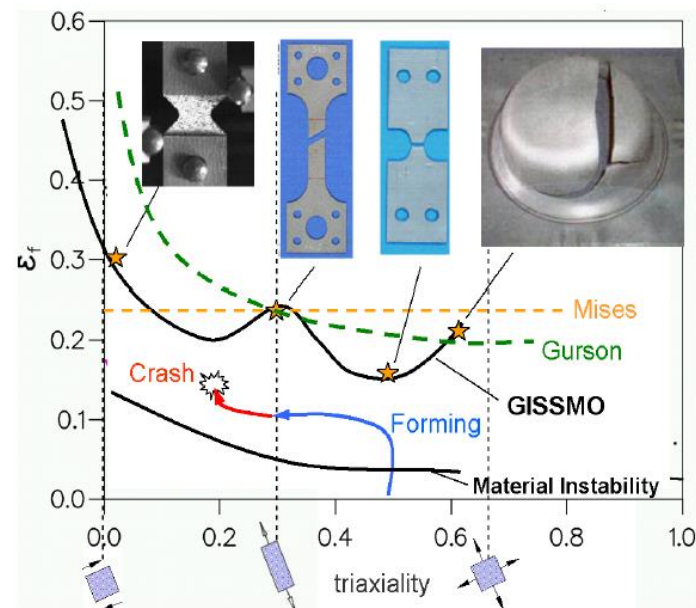


Stress coupling

$$\sigma^* = \sigma \left(1 - \left(\frac{D - D_{CRIT}}{1 - D_{CRIT}} \right)^{FADEXP} \right)$$

Damage tensor

$$(1 - D_1) \begin{bmatrix} 1 & 0 & 0 & 0 & 0 & 0 \\ 0 & 1 & 0 & 0 & 0 & 0 \\ 0 & 0 & 1 & 0 & 0 & 0 \\ 0 & 0 & 0 & 1 & 0 & 0 \\ 0 & 0 & 0 & 0 & 1 & 0 \\ 0 & 0 & 0 & 0 & 0 & 1 \end{bmatrix}$$



eGISSMO explained

- Up to 3 different GISSMO models combined
- Each damage variable can be driven by plastic strain (equivalent or components), material history variable or user defined function (*DEFINE_FUNCTION)
- The damage driving strain components can be defined in the element, material and principal coordinate systems
- User input Damage tensor

eGISSMO step by step (*MAT_ADD_GENERALIZED_DAMAGE)

Card 1	1	2	3	4	5	6	7	8
Variable	MID	IDAM	DTYP	REFSZ	NUMFIP		PDDT	NHIS
Type	I	I	I	F	F		I	I
Default	none	0	0	0.0	1.0		0	1

From MAT_ADD_EROSION

- MID: Material id for which this generalized damage definition applies
 - IDAM: damage model flag (0: no damage, 1: GISSMO type)
 - DTYP: damage behaviour flag (0: no-coupling, 1: coupling and failure)
 - REFSZ: Reference element size
 - NUMFIP: number of failed integration points for element deletion
-
- PDDT: Using pre-defined damage tensors. Considerable speed up.
 - NHIS: Number of damage driving history variables (current maximum: NHIS=3)

eGISSMO step by step (*MAT_ADD_GENERALIZED_DAMAGE)

- Using predefined damage tensors for speed up
- Damage tensor coefficient cards are left blank
- PDDT=1 : Isotropic damage tensor
- PDDT=2 : 2-parameter isotropic deviatoric/volumetric split
- PDDT=3 : Lemaitre-based anisotropic damage tensor (*MAT_104)
- PDDT=4 : Anisotropic damage tensor with damage influence only in XX,YY and XY directions

Card 1	1	2	3	4	5	6	7	8
Variable	MID	IDAM	DTYP	REFSZ	NUMFIP		PDDT	NHIS

For shells:

$$\begin{array}{c}
 (1-D_1) \begin{bmatrix} 1 & 0 & 0 & 0 & 0 & 0 \\ 0 & 1 & 0 & 0 & 0 & 0 \\ 0 & 0 & 1 & 0 & 0 & 0 \\ 0 & 0 & 0 & 1 & 0 & 0 \\ 0 & 0 & 0 & 0 & 1 & 0 \\ 0 & 0 & 0 & 0 & 0 & 1 \end{bmatrix} \quad \begin{bmatrix} 1 - \frac{2}{3}D_1 - \frac{1}{3}D_2 & \frac{1}{3}D_1 - \frac{1}{3}D_2 & 0 & 0 & 0 & 0 \\ \frac{1}{3}D_1 - \frac{1}{3}D_2 & 1 - \frac{2}{3}D_1 - \frac{1}{3}D_2 & 0 & 0 & 0 & 0 \\ 0 & 0 & 1 & 0 & 0 & 0 \\ 0 & 0 & 0 & 1 - D_1 & 0 & 0 \\ 0 & 0 & 0 & 0 & 1 & 0 \\ 0 & 0 & 0 & 0 & 0 & 1 \end{bmatrix} \quad \begin{bmatrix} 1 - D_1 & 0 & 0 & 0 & 0 & 0 \\ 0 & 1 - D_2 & 0 & 0 & 0 & 0 \\ 0 & 0 & 1 & 0 & 0 & 0 \\ 0 & 0 & 0 & 1 - \frac{1}{2}(D_1 + D_2) & 0 & 0 \\ 0 & 0 & 0 & 0 & 1 - \frac{1}{2}D_2 & 0 \\ 0 & 0 & 0 & 0 & 0 & 1 - \frac{1}{2}D_1 \end{bmatrix} \quad \begin{bmatrix} 1 - D_1 & 0 & 0 & 0 & 0 & 0 \\ 0 & 1 - D_2 & 0 & 0 & 0 & 0 \\ 0 & 0 & 1 - D_3 & 0 & 0 & 0 \\ 0 & 0 & 0 & 1 & 0 & 0 \\ 0 & 0 & 0 & 0 & 1 & 0 \\ 0 & 0 & 0 & 0 & 0 & 1 \end{bmatrix} \\
 \text{1} \qquad \qquad \qquad \text{2} \qquad \qquad \qquad \text{3} \qquad \qquad \qquad \text{4}
 \end{array}$$

eGISSMO step by step (*MAT_ADD_GENERALIZED_DAMAGE)

Card 2	1	2	3	4	5	6	7	8
Variable	HIS1	HIS2	HIS3	IFLG1	IFLG2	IFLG3		
Type	I	I	I	I	I	I		
Default	0	none	none	0	0	0		

$$\Delta F = \frac{n}{\varepsilon_i(\eta^*)} F^{(1-\frac{1}{n})} \Delta HISn$$

$$\Delta D = \frac{n}{\varepsilon_f(\eta^*)} D^{(1-\frac{1}{n})} \Delta HISn$$

- HISn: Choice of variables as driving quantity for damage

	IFLG1=0 Material histories	IFLG1=1 Specific plastic strain tensor components	IFLG1=2 Predefined functions of plastic strain tensor
HISn=0	Plastic strain	Local/global, principal or material frame (IFLG2)	3 parameter orthotropic damage
HISn>0	History variable n	n.a.	n.a.
HISn<0	n.a.	*DEFINE_FUNCTION User defined functions	n.a.

eGISSMO step by step (*MAT_ADD_GENERALIZED_DAMAGE)

Card 2	1	2	3	4	5	6	7	8
Variable	HIS1	HIS2	HIS3	IFLG1	IFLG2	IFLG3		
Type	I	I	I	I	I	I		
Default	0	none	none	0	0	0		

IFLG2	Damage strain coordinate system (IFLG1=1)
0	Local element (shells) or global (solids) coordinate system
1	Material system, only applicable for non-isotropic material models
2	Principal strain system (rotating)
3	Principal strain system (Fixed when instability starts, see *MAT_104)

eGISSMO step by step (*MAT_ADD_GENERALIZED_DAMAGE)

- Plastic strain tensor components for different cases:
- Direct use (IFLG1=1 and HIS1=HIS2=HIS3=0)

- $HIS1 = \dot{\epsilon}_{xx}^p$, $HIS2 = \dot{\epsilon}_{yy}^p$, $HIS3 = \dot{\epsilon}_{zz}^p$ (IFLG2=0: local/global system)
- $HIS1 = \dot{\epsilon}_{aa}^p$, $HIS2 = \dot{\epsilon}_{bb}^p$, $HIS3 = \dot{\epsilon}_{cc}^p$ (IFLG2=1: material system)
- $HIS1 = \dot{\epsilon}_1^p$, $HIS2 = \dot{\epsilon}_2^p$, $HIS3 = \dot{\epsilon}_3^p$ (IFLG2=2/3: principal system)

Example: IFLG1=1, IFLG2=1

$$\Delta F_1 = \frac{n_1}{\epsilon_{i,aa}(\eta^*)} F_1^{(1-\frac{1}{n_1})} \Delta \epsilon_{aa}^p$$

....

Example: IFLG1=1, IFLG2=1

$$\Delta D_1 = \frac{n_1}{\epsilon_{f,aa}(\eta^*)} D_1^{(1-\frac{1}{n_1})} \Delta \epsilon_{aa}^p$$

....

- Free functions (IFLG1=1 and HISNn<0):

- $HISn = f_n(\dot{\epsilon}_{xx}^p, \dot{\epsilon}_{yy}^p, \dot{\epsilon}_{zz}^p, \dot{\epsilon}_{xy}^p, \dot{\epsilon}_{yz}^p, \dot{\epsilon}_{xz}^p)$ (IFLG2=0: local/global system)
- $HISn = f_n(\dot{\epsilon}_{aa}^p, \dot{\epsilon}_{bb}^p, \dot{\epsilon}_{cc}^p, \dot{\epsilon}_{ab}^p, \dot{\epsilon}_{bc}^p, \dot{\epsilon}_{ab}^p)$ (IFLG2=1: material system)
- $HISn = f_n(\dot{\epsilon}_1^p, \dot{\epsilon}_2^p, \dot{\epsilon}_3^p)$ (IFLG2=2/3: principal system)

```
*DEFINE_FUNCTION
1234
fhis1(eaa,ebb,ezz,eab,ebz,eza)=sqrt(ebz**2+eza**2)
```

example defines a history variable (HIS1 = -1234)
as function of the transverse shear strains
in material coordinate system a-b-z for shells

eGISSMO step by step (*MAT_ADD_GENERALIZED_DAMAGE)

■ IFGL1=2

- 00,45 and 90 degree damage driving variables are predefined functions of the major principal strain, material angle and principal strain ratio.
- Tailored for orthotropic damage, e.g. aluminium extrusions

$$\Delta \varepsilon_{00}^p = 2 |\Delta \varepsilon_1^p| \langle \cos^2 \theta - |\cos \theta \sin \theta| \rangle \sqrt{\frac{1}{2} (1 + \beta + \beta^2)}$$

$$\Delta \varepsilon_{90}^p = 2 |\Delta \varepsilon_1^p| \langle \sin^2 \theta - |\cos \theta \sin \theta| \rangle \sqrt{\frac{1}{2} (1 + \beta + \beta^2)}$$

$$\Delta \varepsilon_{45}^p = 4 |\Delta \varepsilon_1^p| |\cos \theta \sin \theta| \sqrt{\frac{1}{2} (1 + \beta + \beta^2)}$$

θ = angle between principal and material direction

$$\beta = \frac{\dot{\varepsilon}_2^p}{\dot{\varepsilon}_1^p}$$

Example: IFLG1=2, IFLG2=1

$$\Delta F_1 = \frac{n_1}{\varepsilon_{i,aa}(\eta^*)} F_1^{(1-\frac{1}{n_1})} \Delta \varepsilon_{00}^p$$

....

Example: IFLG1=2, IFLG2=1

$$\Delta D_1 = \frac{n_1}{\varepsilon_{f,aa}(\eta^*)} D_1^{(1-\frac{1}{n_1})} \Delta \varepsilon_{00}^p$$

....

eGISSMO step by step (*MAT_ADD_GENERALIZED_DAMAGE)

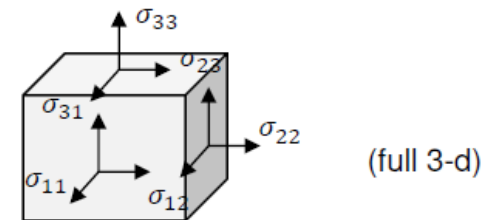
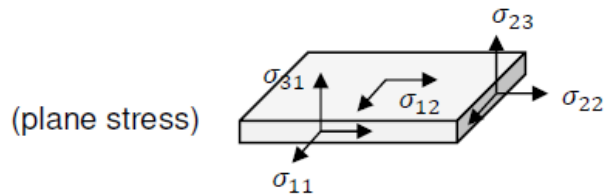
Card 2	1	2	3	4	5	6	7	8
Variable	HIS1	HIS2	HIS3	IFLG1	IFLG2	IFLG3		
Type	I	I	I	I	I	I		
Default	0	none	none	0	0	0		

- IFLG3=0 : Erosion occurs when one of the damage parameters (D1,D2 or D3) reaches unity
- IFLG3=1 : Erosion occurs when a single damage parameter D reaches unity. The damage tensor components are based on this single damage parameter.
 - Used together with IFLG1=2

eGISSMO step by step (*MAT_ADD_GENERALIZED_DAMAGE)

- Damage tensor coefficients as functions of damage variables D1,D2 and D3

Card 3	1	2	3	4	5	6	7	8
Variable	D11	D22	D33	D44	D55	D66		



Card 4 (shells)	1	2	3	4	5	6
Variable	D12	D21	D24	D42	D14	D41

Card 4 (solids)	1	2	3	4	5	6
Variable	D12	D21	D23	D32	D13	D31

$$\begin{bmatrix} \sigma_{11} \\ \sigma_{22} \\ 0 \\ \sigma_{12} \\ \sigma_{23} \\ \sigma_{31} \end{bmatrix} = \begin{bmatrix} D_{11} & D_{12} & 0 & D_{14} & 0 & 0 \\ D_{21} & D_{22} & 0 & D_{24} & 0 & 0 \\ 0 & 0 & D_{33} & 0 & 0 & 0 \\ D_{41} & D_{42} & 0 & D_{44} & 0 & 0 \\ 0 & 0 & 0 & 0 & D_{55} & 0 \\ 0 & 0 & 0 & 0 & 0 & D_{66} \end{bmatrix} \begin{bmatrix} \tilde{\sigma}_{11} \\ \tilde{\sigma}_{22} \\ 0 \\ \tilde{\sigma}_{12} \\ \tilde{\sigma}_{23} \\ \tilde{\sigma}_{31} \end{bmatrix}$$

$$\begin{bmatrix} \sigma_{11} \\ \sigma_{22} \\ \sigma_{33} \\ \sigma_{12} \\ \sigma_{23} \\ \sigma_{31} \end{bmatrix} = \begin{bmatrix} D_{11} & D_{12} & D_{13} & 0 & 0 & 0 \\ D_{21} & D_{22} & D_{23} & 0 & 0 & 0 \\ D_{31} & D_{32} & D_{33} & 0 & 0 & 0 \\ 0 & 0 & 0 & D_{44} & 0 & 0 \\ 0 & 0 & 0 & 0 & D_{55} & 0 \\ 0 & 0 & 0 & 0 & 0 & D_{66} \end{bmatrix} \begin{bmatrix} \tilde{\sigma}_{11} \\ \tilde{\sigma}_{22} \\ \tilde{\sigma}_{33} \\ \tilde{\sigma}_{12} \\ \tilde{\sigma}_{23} \\ \tilde{\sigma}_{31} \end{bmatrix}$$

eGISSMO step by step (*MAT_ADD_GENERALIZED_DAMAGE)

- Example: Anisotropic damage as in *MAT_104, plane stress

```
...  
$      D11      D22      D33      D44      D55      D66  
      1001      1002      1003      1004      1005      1006  
  
... (Card 4 left empty)  
*DEFINE_FUNCTION  
1001  
f11(d1,d2,d3)=1.-d1  
*DEFINE_FUNCTION  
1002  
f22(d1,d2,d3)=1.-d2  
*DEFINE_FUNCTION  
1003  
f33(d1,d2,d3)=1.  
*DEFINE_FUNCTION  
1004  
f44(d1,d2,d3)=1.-(d1+d2)/2.  
...
```

$$\begin{bmatrix} \sigma_{11} \\ \sigma_{22} \\ 0 \\ \sigma_{12} \\ \sigma_{23} \\ \sigma_{31} \end{bmatrix} = \begin{bmatrix} 1-D_1 & 0 & 0 & 0 & 0 & 0 \\ 0 & 1-D_2 & 0 & 0 & 0 & 0 \\ 0 & 0 & 1 & 0 & 0 & 0 \\ 0 & 0 & 0 & 1-\frac{1}{2}(D_1+D_2) & 0 & 0 \\ 0 & 0 & 0 & 0 & 1-\frac{1}{2}D_2 & 0 \\ 0 & 0 & 0 & 0 & 0 & 1-\frac{1}{2}D_1 \end{bmatrix} \begin{bmatrix} \tilde{\sigma}_{11} \\ \tilde{\sigma}_{22} \\ 0 \\ \tilde{\sigma}_{12} \\ \tilde{\sigma}_{23} \\ \tilde{\sigma}_{31} \end{bmatrix}$$

eGISSMO step by step (*MAT_ADD_GENERALIZED_DAMAGE)

- Card 5 and 6: GISSMO parameters
- 2 cards per history variable

Card 5...	1	2	3	4	5	6	7	8
Variable	LCSDBG	ECRIT	DMGEXP	DCRIT	FADEXP	LCREG		
Type	I	F	F	F	F	I		
Default	0	0.0	1.0	0.0	1.0	0		

Card 6...	1	2	3	4	5	6	7	8
Variable	LCSRS	SHRF	BIAXF	LCDLIM	MIDFAIL	NFLOC		
Type	I	F	F	I	F	F		
Default	0	0.0	0.0	0	0.0	0.0		

eGISSMO step by step (*MAT_ADD_GENERALIZED_DAMAGE)

- eGISSMO output
- ND different depending on the material model. It is found in the d3hsp file.

GISSMO damage history listing

PID 1 : first damage history variable ND = 6

ND	Triaxiality variable, σ_m/σ_{vm}
ND+1	Lode parameter
ND+2	Single damage parameter D ($1.E-20 \leq D \leq 1$), IFLG3=1
ND+3	Damage parameter D1
ND+4	Damage parameter D2
ND+5	Damage parameter D3
ND+6	Damage threshold DCRIT1
ND+7	Damage threshold DCRIT2
ND+8	Damage threshold DCRIT3
ND+12	History variable HIS1
ND+13	History variable HIS2
ND+14	History variable HIS3
ND+15	Angle between principal and material axes (in radians)
ND+21	Characteristic element size (used in LCREG)

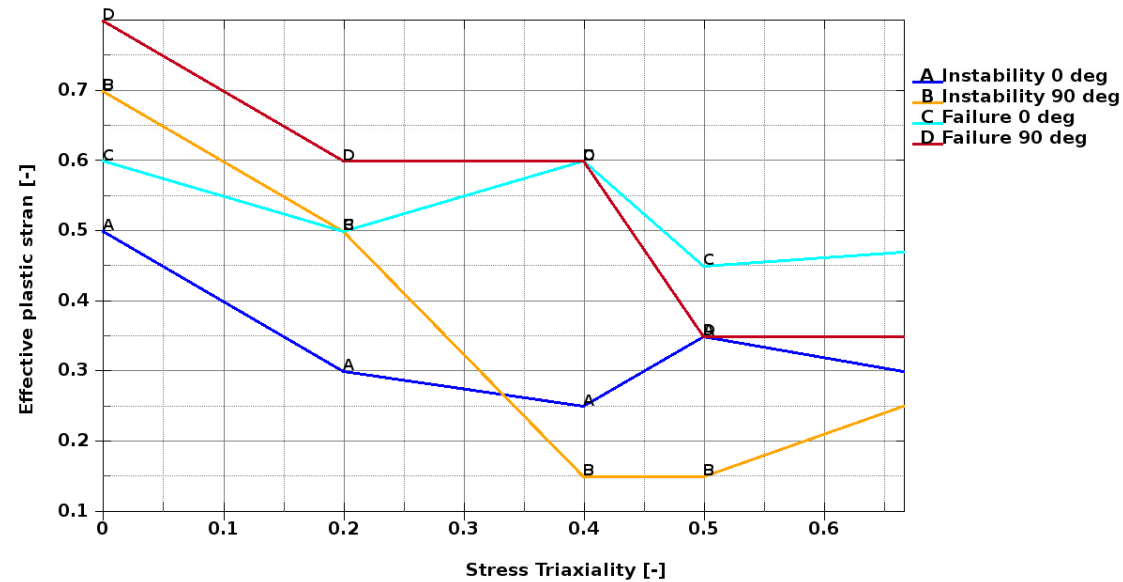
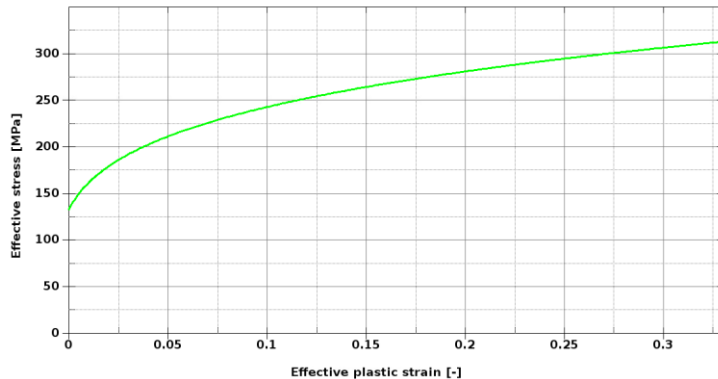
eGISSMO example

- Two separate GISSMO cards are developed for extrusion and transverse directions respectively for an aluminium extrusion.
- Firstly, create the corresponding eGISSMO cards in each direction (isotropic) damage.
- Secondly, combine the two GISSMO isotropic damage functions into one eGISSMO card.
- *MAT_BARLAT_YLD2000 with anisotropy is used for the plasticity

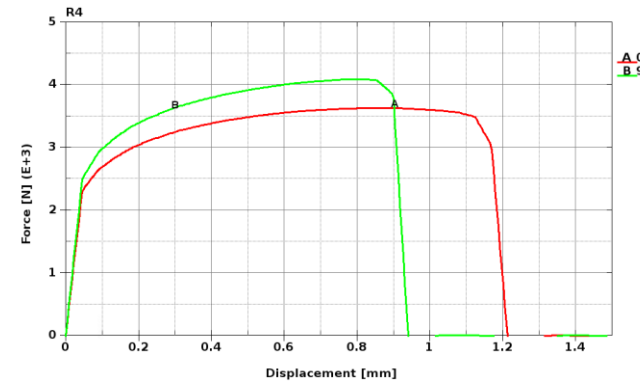
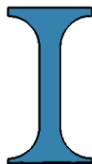
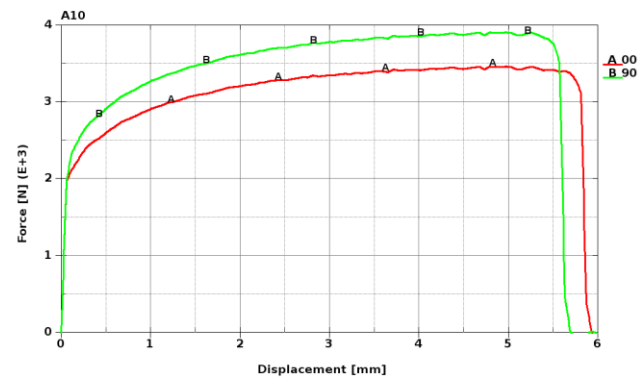
Material

- Fictitious Aluminium extrusion
- Plasticity is modeled with Barlat YLD 2000 criteria (*MAT_133)

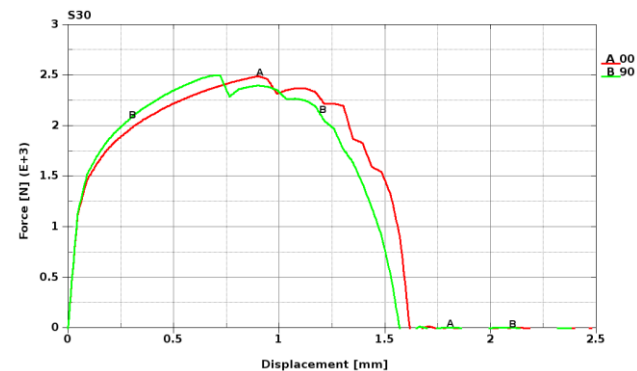
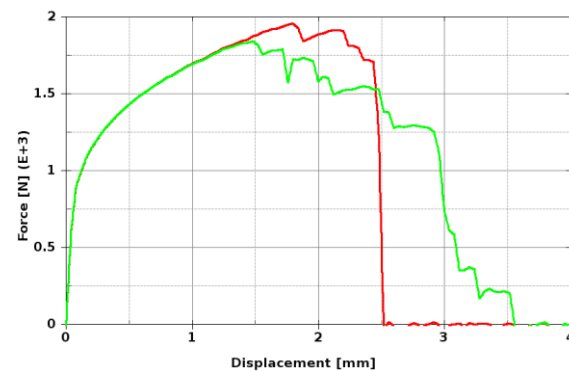
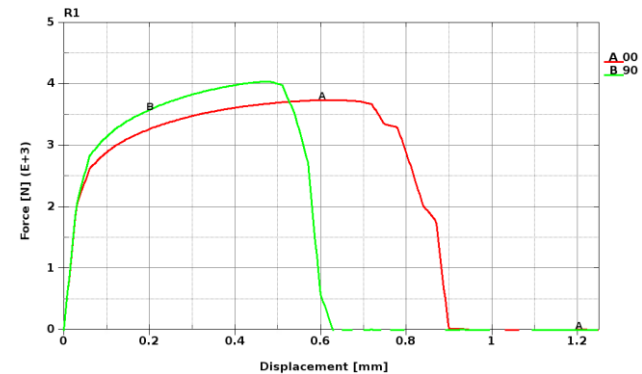
σ_{00}	σ_{45}	σ_{90}	R_{00}	R_{45}	R_{90}	R_B	σ_B
133.	120.	147.	0.6	1.6	1.05	1.	140.



Tensile test results



— Extrusion direction
— Transverse direction



From GISSMO to eGISSMO - Isotropic Damage

- One damage variable
- Damage tensor

$$\begin{bmatrix} \sigma_{11} \\ \sigma_{22} \\ \sigma_{33} \\ \sigma_{12} \\ \sigma_{23} \\ \sigma_{31} \end{bmatrix} = (1 - D_1) \begin{bmatrix} 1 & 0 & 0 & 0 & 0 & 0 \\ 0 & 1 & 0 & 0 & 0 & 0 \\ 0 & 0 & 1 & 0 & 0 & 0 \\ 0 & 0 & 0 & 1 & 0 & 0 \\ 0 & 0 & 0 & 0 & 1 & 0 \\ 0 & 0 & 0 & 0 & 0 & 1 \end{bmatrix} \begin{bmatrix} \tilde{\sigma}_{11} \\ \tilde{\sigma}_{22} \\ \tilde{\sigma}_{33} \\ \tilde{\sigma}_{12} \\ \tilde{\sigma}_{23} \\ \tilde{\sigma}_{31} \end{bmatrix}$$

- Damage driving quantity: Effective plastic strain
- Damage and Instability evolution

$$\Delta F = \frac{n}{\varepsilon_i(\eta^*)} F^{(1-\frac{1}{n})} \Delta \varepsilon^p$$

$$\Delta D = \frac{n}{\varepsilon_f(\eta^*)} D^{(1-\frac{1}{n})} \Delta \varepsilon^p$$

Extrusion direction eGISSMO cards - Isotropic damage

Damage is coupled

Damage model activated

Number of failed IP's
before deletion

Number of damage
history variables

*MAT_ADD_GENERALIZED_DAMAGE

\$#	mid	idam	dtyp	refsz	numfip	unused	pddt	nhis
	1	1	1	0.0	-80.		0	1
\$#	his1	his2	his3	iflg1	iflg2	iflg3		
	0	0	0	0	0	0		
\$#	d11	d22	d33	d44	d55	d66		
	1	1	1	1	1	1		
\$#	d12	d21	d24	d42	d14	d41		
	0	0	0	0	0	0		
\$#	lcsdg	ecrit	dmgexp	dcrit	fadexp	lcreg		
	102	-101.0	2.0	0.0	3.5	103		
	0	0.0	0.0	0				

Extrusion direction eGISSMO cards - Isotropic damage

Effective plastic strain drives the damage

Not active for IFLG1=0

```
*MAT_ADD_GENERALIZED_DAMAGE
$#      mid      idam      dtyp      refs      numfip      unused      pddt      nhis
      1          1          1          0.0        -80          0          0          1
$#  his1      his2      his3      iflg1      iflg2      iflg3
      0          0          0          0          0          0
$#      d11      d22      d33      d44      d55      d66
      1          1          1          1          1          1
$#      d12      d21      d24      d42      d14      d41
      0          0          0          0          0          0
$#      lcsdg      ecrit      dmgexp      dcrit      fadexp      lcreg
      102      -101.0      2.0          0.0      3.5      103
      0          0.0          0.0          0
```

	IFLG1=0 Material histories	IFLG1=1 Specific plastic strain tensor components	IFLG1=2 Predefined functions of plastic strain tensor
HISn=0	Plastic strain	Local/global, principal or material frame (IFLG2)	3 parameter orthotropic damage
HISn>0	History variable n	n.a.	n.a.
HISn<0	n.a.	*DEFINE_FUNCTION User defined functions	n.a.

Extrusion direction eGISSMO cards - Isotropic damage

$$\begin{bmatrix} \sigma_{11} \\ \sigma_{22} \\ \sigma_{33} \\ \sigma_{12} \\ \sigma_{23} \\ \sigma_{31} \end{bmatrix} = (1 - D_1) \begin{bmatrix} 1 & 0 & 0 & 0 & 0 & 0 \\ 0 & 1 & 0 & 0 & 0 & 0 \\ 0 & 0 & 1 & 0 & 0 & 0 \\ 0 & 0 & 0 & 1 & 0 & 0 \\ 0 & 0 & 0 & 0 & 1 & 0 \\ 0 & 0 & 0 & 0 & 0 & 1 \end{bmatrix} \begin{bmatrix} \tilde{\sigma}_{11} \\ \tilde{\sigma}_{22} \\ \tilde{\sigma}_{33} \\ \tilde{\sigma}_{12} \\ \tilde{\sigma}_{23} \\ \tilde{\sigma}_{31} \end{bmatrix}$$

Alternatively:
Use pddt=1 for predefined
isotropic damage tensor

*MAT_ADD_GENERALIZED_DAMAGE

\$#	mid	idam	dtyp	refsz	numfip	unused	pddt	nhis
	1	1	1	0.0	-80.		0	1
\$#	his1	his2	his3	iflg1	iflg2	iflg3		
	0	0	0	0	0	0		
\$#	d11	d22	d33	d44	d55	d66		
	1	1	1	1	1	1		
\$#	d12	d21	d24	d42	d14	d41		
	0	0	0	0	0	0		
\$#	lcsdg	ecrit	dmgexp	dcrit	fadexp	lcreg		
	102	-101.0	2.0	0.0	3.5	103		
	0	0.0	0.0	0				

*DEFINE FUNCTION

\$#	fid
	1

funcd(d1)=1.-d1

Same damage coupling for all
stress components

Extrusion direction eGISSMO cards - Isotropic damage

- One GISSMO card necessary

```
*MAT_ADD_GENERALIZED_DAMAGE
$#      mid      idam      dtyp      refsiz      numfip      unused      pddt      nhis
      1         1         1         0.0        -80.         0         0         1
$#      his1      his2      his3      iflg1      iflg2      iflg3
      0         0         0         0         0         0
$#      d11       d22       d33       d44       d55       d66
      1         1         1         1         1         1
$#      d12       d21       d24       d42       d14       d41
      0         0         0         0         0         0
$#      lcsgd      ecrit      dmgep      dcrit      fadexp      lcrg
      102      -101.0       2.0       0.0       3.5       103
      0         0.0       0.0       0
$#      1         2         3         4         5         6
*DEFINE_FUNCTION
$#      fid
      1
$#
funcd(d1)=1.-d1
```

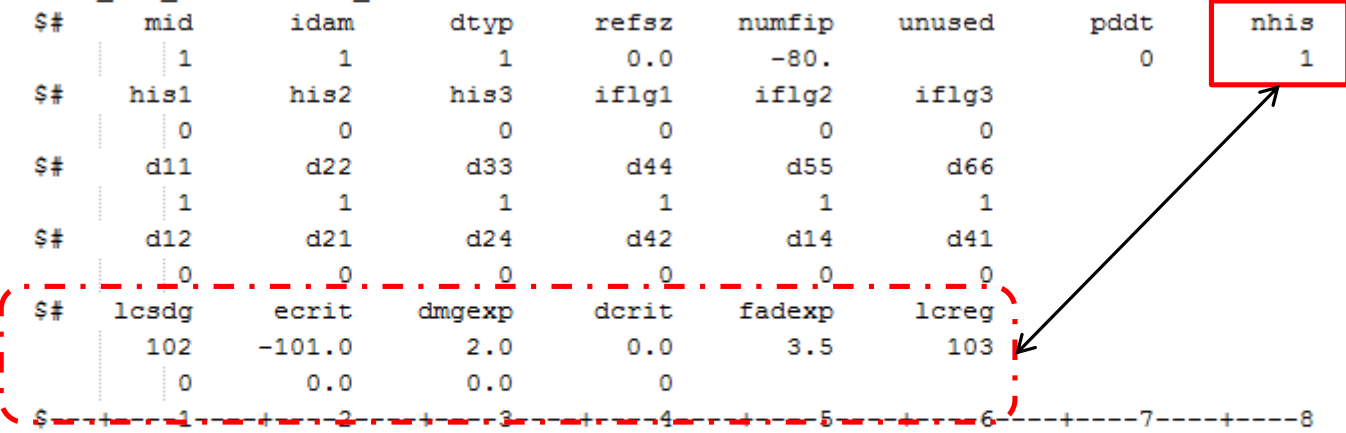
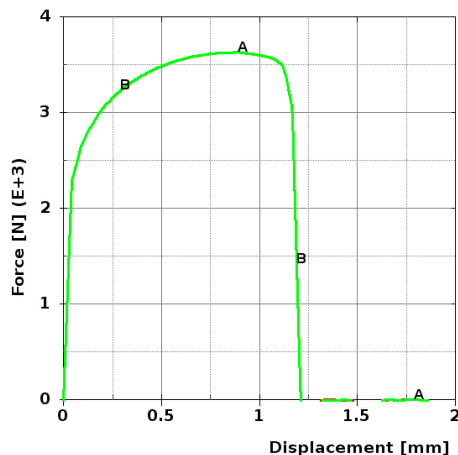
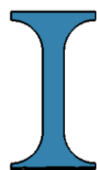
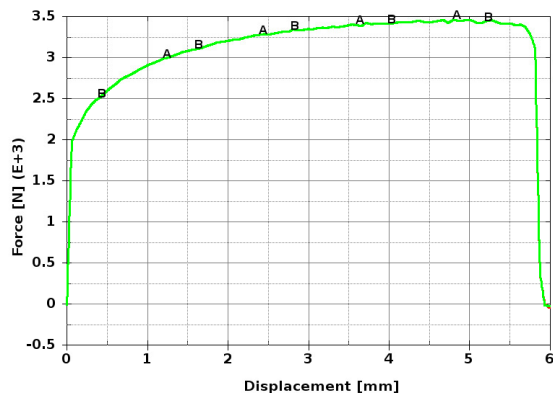


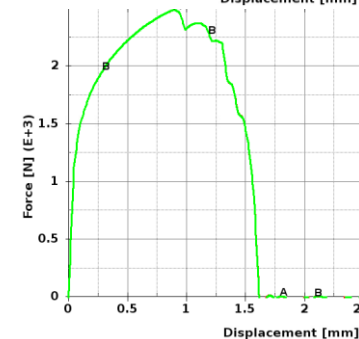
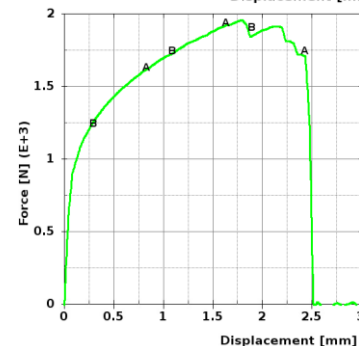
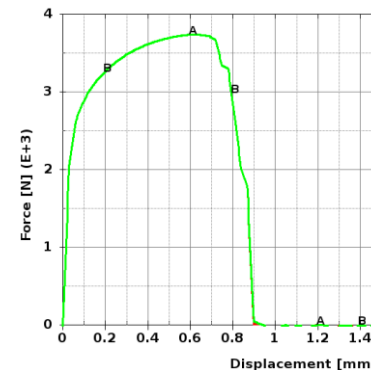
Diagram illustrating the relationship between the `nhis` parameter and the damage function. The `nhis` parameter is set to 1, which corresponds to the `lcrg` parameter in the `*DEFINE_FUNCTION` card. The `lcrg` parameter is set to 103, which corresponds to the `fid` value of 1 in the `*DEFINE_FUNCTION` card. The `fid` value of 1 is also highlighted by a red dashed box. The `funcd(d1)=1.-d1` line is the function definition for the damage variable `d1`.

Extrusion direction eGISSMO cards - Isotropic damage

- Identical results for all test specimen when the corresponding GISSMO curves are used without modification



— GISSMO
— eGISSMO



Moving to orthotropic damage

- The two GISSMO cards (extrusion and transversal) are combined into one eGISSMO card.
- Thus, the failure model now has two history variables (D1 and D2).
- Both damage history variables are driven by the effective plastic strain.
 - If the material is deformed in extrusion direction, then D1 is increasing
 - If the material is deformed in transverse direction, then D2 is increasing

$$\Delta F_1 = \frac{n_1}{\varepsilon_{i,aa}(\eta^*)} F_1^{(1-\frac{1}{n_1})} \Delta \varepsilon^p \quad \varepsilon_{aa}^p > 0$$

....

$$\Delta D_1 = \frac{n_1}{\varepsilon_{f,aa}(\eta^*)} D_1^{(1-\frac{1}{n_1})} \Delta \varepsilon^p \quad \varepsilon_{aa}^p > 0$$

....

- Using the damage tensor from *MAT_104

$$\begin{bmatrix} \sigma_{11} \\ \sigma_{22} \\ 0 \\ \sigma_{12} \\ \sigma_{23} \\ \sigma_{31} \end{bmatrix} = \begin{bmatrix} 1-D_1 & 0 & 0 & 0 & 0 & 0 \\ 0 & 1-D_2 & 0 & 0 & 0 & 0 \\ 0 & 0 & 1 & 0 & 0 & 0 \\ 0 & 0 & 0 & 1-\frac{1}{2}(D_1+D_2) & 0 & 0 \\ 0 & 0 & 0 & 0 & 1-\frac{1}{2}D_2 & 0 \\ 0 & 0 & 0 & 0 & 0 & 1-\frac{1}{2}D_1 \end{bmatrix} \begin{bmatrix} \tilde{\sigma}_{11} \\ \tilde{\sigma}_{22} \\ 0 \\ \tilde{\sigma}_{12} \\ \tilde{\sigma}_{23} \\ \tilde{\sigma}_{31} \end{bmatrix}$$

Extrusion direction eGISSMO cards - Isotropic damage

Plastic strain components drives the damage

Material coordinate system

```
*MAT_ADD_GISSMO
$# mid idam dtyp refsz numfip unused pddt nhis
    1      1      1    0.0    -80.      3      2
$# his1 his2 his3 iflg1 iflg2 iflg3
   -301  -302      0      1      1      0
$# d11 d22 d33 d44 d55 d66
     0      0      0      0      0      0
$# d12 d21 d24 d42 d14 d41
     0      0      0      0      0      0
```

\$EXTRUSION DIRECTION GISSMO CARDS

```
$# lcsdg ecrit dmgepx dcrit fadexp lcreg
   102  -101.0    2.0    0.0    3.5   103
     0      0.0    0.0      0
```

\$TRANSVERSE DIRECTION GISSMO CARDS

```
$# lcsdg :reg
   202   103
     0
```

	IFLG1=0 Material histories	IFLG1=1 Specific plastic strain tensor components	IFLG1=2 Predefined functions of plastic strain tensor
HISn=0	Plastic strain	Local/global, principal or material frame (IFLG2)	3 parameter orthotropic damage
HISn>0	History variable n	n.a.	n.a.
HISn<0	n.a.	*DEFINE_FUNCTION User defined functions	n.a.

eGISSMO Card

Functions 301 and 302 drives the damage

Pre-determined damage tensor

```
*MAT_ADD_GENERALIZED_DAMAGE
```

\$#	mid	idam	dtype	refsz	numfip	unused
	1	1	1	0.0	-80.	
\$#	his1	his2	his3	iflg1	iflg2	iflg3
	-301	-302	0	1	1	0
\$#	d11	d22	d33	d44	d55	d66
	0	0	0	0	0	0
\$#	d12	d21	d24	d42	d14	d41
	0	0	0	0	0	0

pddt
3

nhis
2

Two history variables

```
$EXTRUSION DIRECTION GISSMO CARDS
```

\$#	lcsdg	ecrit	dmgexp	dcrit	fadexp	lcreg
	102	-101.0	2.0	0.0	3.5	103
	0	0.0	0.0	0		

Extrusion

```
$TRANSVERSE DIRECTION GISSMO CARDS
```

\$#	lcsdg	ecrit	dmgexp	dcrit	fadexp	lcreg
	202	-201.0	2.0	0.0	2.2	103
	0	0.0	0.0	0		

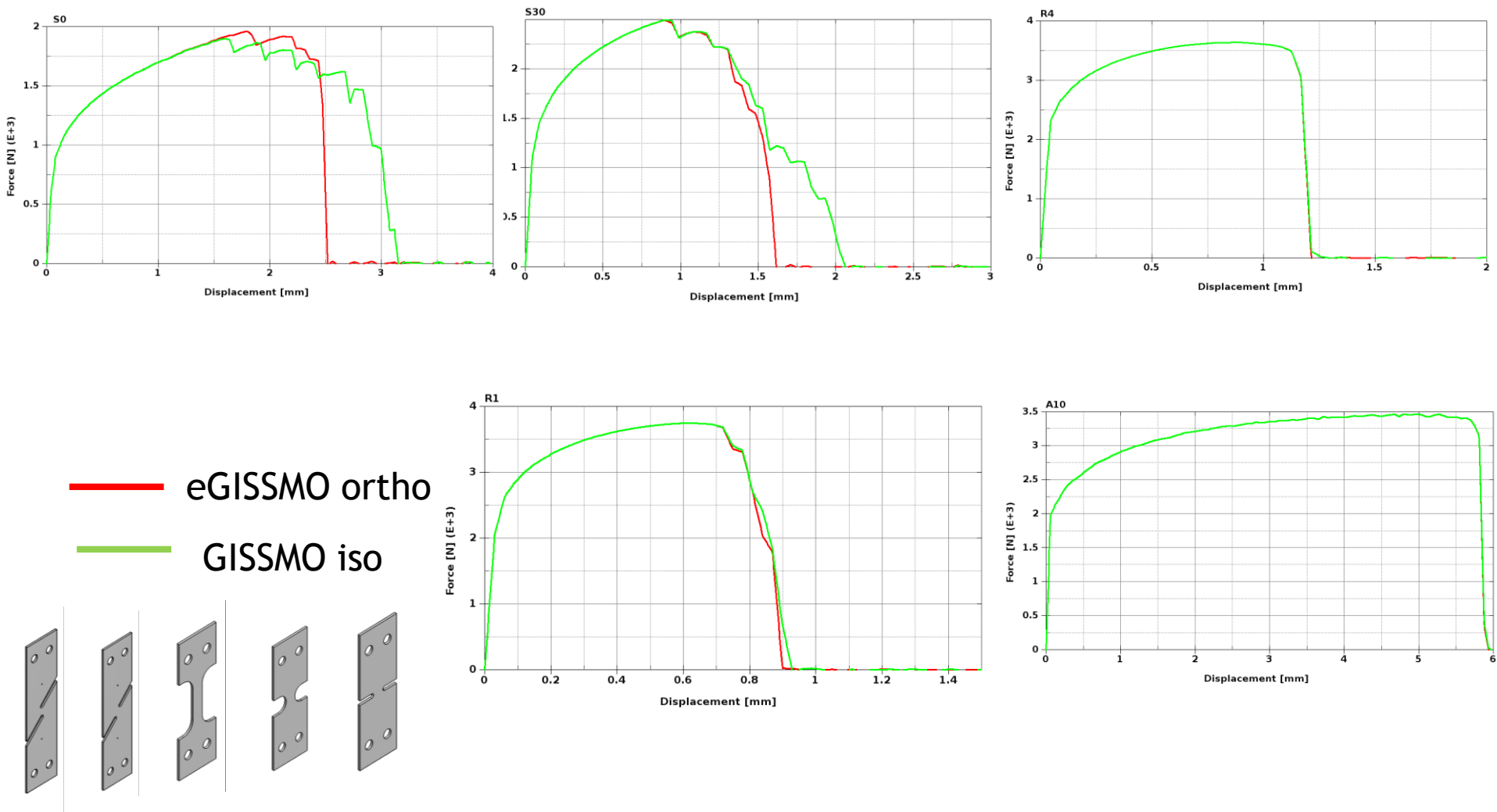
Transverse

Damage driving variable function

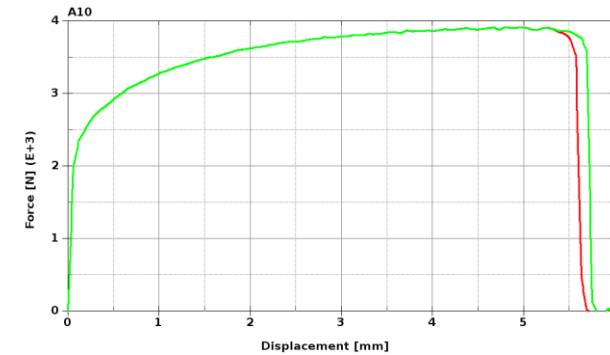
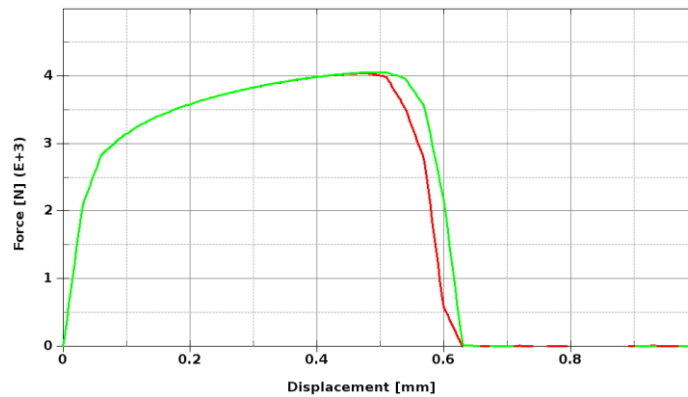
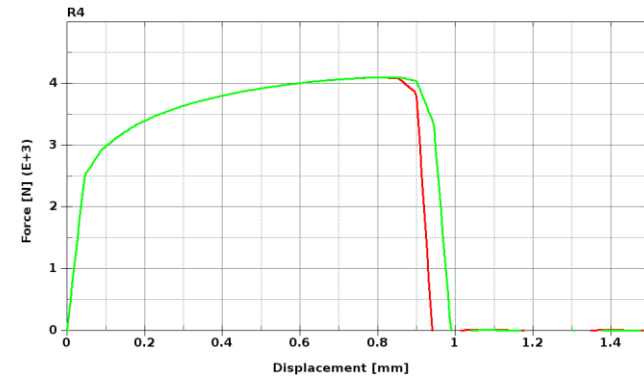
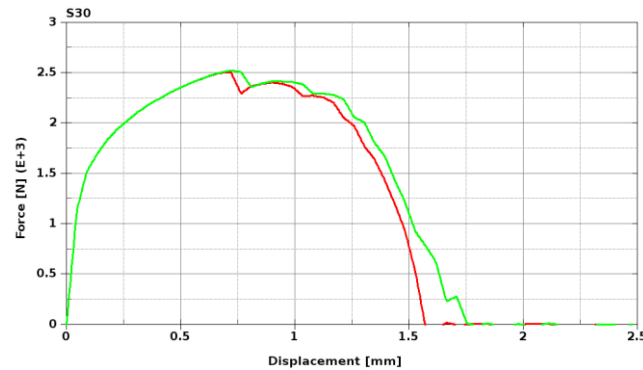
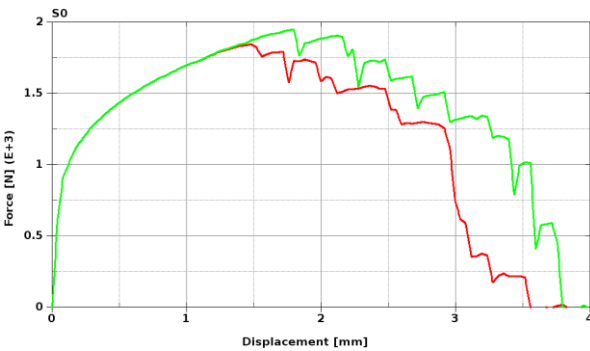
- Only generate damage when the corresponding plastic strain component is positive.
- This is done by generating different functions for the two history variables
- HISn<0: *DEFINE_FUNCTIONS lds defining the damage driving functions

```
*DEFINE_FUNCTION
$#      fid                                     heading
      301
$#
fhis(eaa,ebb,ecc,eab,ebc,eca)=max(0,eaa)*sqrt(2./3.*(eaa**2+ebb**2+
2*eab**2+ecc**2+2*ebc**2+2*eca**2))/(1.e-8+eaa)
*DEFINE_FUNCTION
$#      fid                                     heading
      302
$#
fhis2(eaa,ebb,ecc,eab,ebc,eca)=max(0,ebb)*sqrt(2./3.*(eaa**2+ebb**2+
2*eab**2+ecc**2+2*ebc**2+2*eca**2))/(1.e-8+ebb)
```

Tensile test results - eGISSMO vs GISSMO extrusion

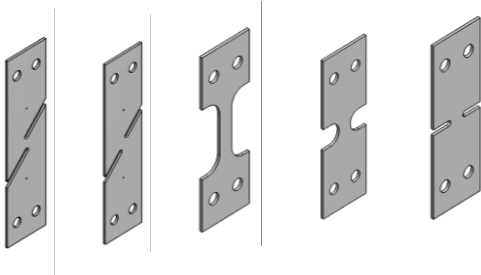


Tensile test results - eGISSMO vs GISSMO transverse



— eGISSMO ortho

— GISSMO iso



Conclusion

- GISSMO is an add-on damage model:
 - Generally driven by effective plastic strain
 - Isotropic
- eGISSMO allows the user to combine up to 3 GISSMO cards:
 - Driven by effective plastic strain, history variables or strain components
 - User defined history variables by function
 - Can be used to for damage that is orthotropic, volumetric deviatoric split, etc.
 - User defined damage tensor for damage-stress coupling
 - Usage of pre-defined damage tensors for increased speed
- eGISSMO is a highly flexible damage/failure model and its similarity to GISSMO makes it easy for users with GISSMO experience to advance to eGISSMO.
- www.dynalook.com

11th European LS-DYNA Conference 2017, Salzburg, Austria

Short Introduction of a New Generalized Damage Model

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Thank you!

